Maths – sample scheme of work

An Example of KS3 Medium Term Planning:

Factors and Multiples Stage 6	8 hours	MENU	
Content	Extension	Knowledge Organisers	
Understand place value in numbers with up to three decimal places		GCSE Grade P KO	
Multiply whole numbers by 10 (100, 1000)		GCSE Grade 1 KO	
Divide whole numbers by 10 (100, 1000) when the answer is a whole number		Factors and Multiples	
Multiply (divide) numbers with up to three decimal places by 10 (100, 1000)		Types of Number KO	
Understand (order, write, read) place value in numbers with up to eight digits			
Understand and use negative numbers when working with temperature		PREVIOUS TOPIC	
Understand and use negative numbers when working in other contexts		n/a	
Know the meaning of a common multiple (factor) of two numbers			
Identify common multiples (factors) of two numbers		NEXT TOPIC	
Know how to test if a number up to 120 is prime		Calculating 1 S6	
Know the Prime Numbers to 50 (the first 15)			
Know the Square Numbers to from 1 ² - 15 ² and 20 ²	Know the corresponding roots	Posters / Wall Displays	
Know the Cube Numbers to from 1 ³ – 5 ³ and 10 ³	Know the corresponding roots		
Know the Triangular Numbers to 30		number classification posters.	
		negative number washing line	
Pre-requisites	Language	Pedagogical Notes	
Understand and use place value in numbers with up to seven digits	Place value	Zero is neither positive nor negative.	
Multiply and divide whole numbers by 10, 100, 1000	Digit		
Multiply and divide numbers with one decimal place by 10, 100, 1000	Negative number	When multiplying and dividing by powers of ten, the decimal point is fixed and it is the	
Know the meaning of 'factor' and 'multiple' and 'prime'	(Common) multiple	digits that move.	
know the meaning of factor and multiple and prime		ugits that move.	
	(Common) factor Divisible		
	Prime number, Composite number	Ensure that pupils can deal with large numbers that include zeros in the HTh and/or H	
	Prine number, composite number		
		column (e.g. 43 006 619)	
		NCETM: Glossary	
		Common approaches	
		A prime number is a number with exactly two factors.	
Reasoning opportunities and probing questions	Possible activities / Starters / Starting Points	Possible misconceptions	
Convince me that 109 is a prime number	KM: Maths to Infinity: Directed numbers	Some pupils can confuse the language of large (and small) numbers since the prefix	
	KM: Extend the idea of Eratosthenes' sieve to a 12 by 12 grid	'milli- means 'one thousandth' (meaning that there are 1000 millimetres in a metre for	
Jenny writes $2.54 \times 10 = 25.4$. Kenny writes $2.54 \times 10 = 25.40$. who do you agree	KM: Exploring primes activities: Artistic Eratosthenes sieve	'milli- means 'one thousandth' (meaning that there are 1000 millimetres in a metre for example) while one million is actually a thousand thousand.	
Jenny writes $2.54 \times 10 = 25.4$. Kenny writes $2.54 \times 10 = 25.40$. who do you agree	KM: Exploring primes activities: Artistic Eratosthenes sieve		
Jenny writes $2.54 \times 10 = 25.4$. Kenny writes $2.54 \times 10 = 25.40$. who do you agree	KM: Exploring primes activities: Artistic Eratosthenes sieve KM: Use Powers of ten to demonstrate connections.	example) while one million is actually a thousand thousand.	
lenny writes $2.54 \times 10 = 25.4$. Kenny writes $2.54 \times 10 = 25.40$. who do you agree with? Explain why.	KM: Exploring primes activities: Artistic Eratosthenes sieve KM: Use Powers of ten to demonstrate connections.	example) while one million is actually a thousand thousand. Some pupils may not realise that degrees (") and degrees Celsius ("C) are two different	
Jenny writes 2.54 × 10 = 25.4. Kenny writes 2.54 × 10 = 25.40. who do you agree with? Explain why. Look at this number (24 054 028). Show me another number (with 4, 5, 6, 7 digits) that	KM: Exploring primes activities: Artistic Eratosthenes sieve KM: Use Powers of ten to demonstrate connections. Prime Numbers – Divisibility and Primes – Mathigon	example) while one million is actually a thousand thousand. Some pupils may not realise that degrees (") and degrees Celsius ("C) are two different	
Jenny writes 2.54 × 10 = 25.4. Kenny writes 2.54 × 10 = 25.40. who do you agree with? Explain why. Look at this number (24 054 028). Show me another number (with 4, 5, 6, 7 digits) that	IM: Exploring primes activities: Artistic Entrathments sieve IM: Use Powers of the to demonstrate connections, Prime Nambers – Dhisibility and Primes – Mathigon Search results: Engineer numbers (rminks.com)	example) while one million is actually a thousand thousand. Some pupils may not realise that degrees (') and degrees Celsius ('C) are two different and distinct units of measurement	
Jenny writes 2.54 × 10 = 25.4. Kenny writes 2.54 × 10 = 25.40. who do you agree with? Explain why. Look at this number (24 054 028). Show me another number (with 4, 5, 6, 7 digits) that	IM: Exploring primes activities: Artistic Entrathments sieve IM: Use Powers of the to demonstrate connections, Prime Nambers – Dhisibility and Primes – Mathigon Search results: Engineer numbers (rminks.com)	example) while one million is actually a thousand thousand. Some pupils may not realise that degrees (') and degrees Celsius ('C) are two different and distinct units of measurement	
Jenny writes 2.54 × 10 = 25.4. Kenny writes 2.54 × 10 = 25.40. who do you agree with? Explain why. Look at this number (24 054 028). Show me another number (with 4, 5, 6, 7 digits) that	IVAE Exploring primes activities: Artistic Entratathenes sieve KM: Use Powers of Ian to demonstrate connections, Prime Numbers – Divisibility and Primes – Mathigon Search results triangle numbers (maths.org) Clever Carl HOMEWORK / LEARNING REVIEW	example) while one million is actually a thousand thousand. Some pupils may not realise that degrees (') and degrees Celsius ('C) are two different and distinct units of measurement	
Jenny writes 2.54 × 10 = 25.4. Kenny writes 2.54 × 10 = 25.40. who do you agree with? Explain why. Look at this number (24 054 028). Show me another number (with 4, 5, 6, 7 digits) that	NM: Exploring primes activities: Artistic Entrathement sieve IM: Use Powers of the Networkstate connections. Prime Numbers – Divisibility and Primes – Mathioon Search results transfer numbers (maths.org) Clever Carl	example) while one million is actually a thousand thousand. Some pupils may not realise that degrees (') and degrees Celsius ('C) are two different and distinct units of measurement	
Jenny writes 2.54 × 10 = 25.4. Kenny writes 2.54 × 10 = 25.40. who do you agree with? Explain why. Look at this number (24 054 028). Show me another number (with 4, 5, 6, 7 digits) that	IVA Exploring primes activities: Artistic Entathemes sieve IVA Use Powers of ten to demonstrate connections; Prime Numbers – Divisibility and Primes – Mathigon Saerch results: triangle numbers (meths.org) Clever Carl HOMEWORK / LEARNING REVIEW GMT BAM Task	example) while one million is actually a thousand thousand. Some pupils may not realise that degrees (') and degrees Celsius ('C) are two different and distinct units of measurement	
Jenny writes 2.54 × 10 = 25.4. Kenny writes 2.54 × 10 = 25.40. who do you agree with? Explain why. Look at this number (24 054 028). Show me another number (with 4, 5, 6, 7 digits) that	IVAE Exploring primes activities: Artistic Entratathenes sieve KM: Use Powers of Ian to demonstrate connections, Prime Numbers – Divisibility and Primes – Mathigon Search results triangle numbers (maths.org) Clever Carl HOMEWORK / LEARNING REVIEW	example) while one million is actually a thousand thousand. Some pupils may not realise that degrees (') and degrees Celsius ('C) are two different and distinct units of measurement	

An Example of KS4 Medium Term Planning

Completing the Square and Quad Formula	8 Hours			MENU
Content	Specification			Knowledge Organisers
Find a Perfect Square	A11			Grade 8.3 8.4 Knowledge Organizer
Put a Quadratic of the form x* + bx + c into Completed the Square form	Basic foundation content	Additional foundation	Higher content only	
Solve an Equation of the form x ^a + bx + c = 0 by Completing the square.	Chance for an and a concerne	content	Thighter content only	Completing the Square KO
Solve an Equation of the form ax ^a + bx + c = 0 by Completing the square.		identify and interpret roots,		Quadratic Formula KO
Put a Quadratic of the form ax* + bx + c into Completed the Square form		intercepts and turning points of guadratic functions		
Understand that the coordinates of the turning point can be found by		graphically		
examining a Quadratic in Completed Square Form.		deduce roots algebraically	deduce turning points by completing the square	
Skectch the Graphs of Quadratics by finding the roots and I or using	A18			
Completed Square form.	Basic foundation content	Additional foundation	Higher content only	
Understand that the Quadratic Formula comes from solving ax* + bx + c = 0	basik rounsation content	content	rights content only	
using completing the square.		solve quadratic equations	including those that require	
Learn the Quadratic formula		algebraically by factorising	rearrangement	
Use the Quadratic formula to solve Quadratic Equations			including completing the square and by using the quadratic formula	
Use the Quadratic formula to solve problems involving Quadratic Equations		find approximate solutions		
		using a graph		
Pre-requisites	Language			Pedagogical Notes
Know the algebraic form of a perfect square.	y intercept			The content list is in the order it should be taught.
be able to solve linear and Quadratic Equations	Equation			Explanation should be very clear and checked at every stage.
	Formula			
	Quadratic			MyMaths teaches a slight variation on the method normally taught and
	Roots, Solutions			should be avoided.
	Turning point			
	Coefficient			Common approaches
	Completed Square form			Completing the Square Scripted Lesson
	Sketch			
Reasoning opportunities and probing questions	Possible activities / Starters / Starting Points			Possible misconceptions r-upils may get the corodinate positions the wrong way round norm
	Completing the Square Scripted Lesson			Pupils may get the corodinate positions the wrong way round nom
Full Coverage - GCSE Completing The Square	Dr Frost GCSE Completing The Square			Square Form or forget to change the sign on the one in the bracket.
				Students may struggle to find the "correction" to make a perfect square when
				u = ax ³ + bx + c
	HOMEVORK / LEARNING REVIEW			3- an - bn - b
	AQA Higher Completing The Square Topic Test			
	The tright sempring the equilations (Sec			